

The NMR group (established 2000): equipment, NMR - people and topics

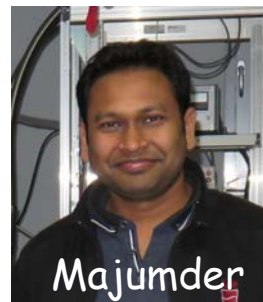


Group members:

Michael Baenitz
Mayukh Majumder
Hiroshi Yasuoka (Emeritus)



Baenitz



Majumder

Former group members:

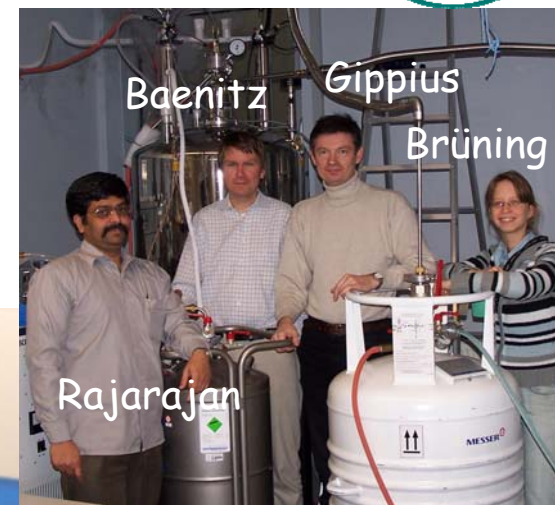
P. Khuntia, R. Sakar, E.V. Brüning,
R. Nath, A. Rajarajan, H. Mohammad, A. Rabis

NMR supporters:

Prof. A. Gippius (Moscow State University, Russia)
Prof. J. Haase (Universität Leipzig)
Prof. R. Walstedt (Emeritus, JAERI, Michigan University, USA)
Prof. D. E. MacLaughlin (Emeritus, UC Riverside, Berkley, CA, USA)
Prof. H.H. Klauss (TU Dresden) (mK NMR)
Prof. A. Loidl, Dr. N. Büttgen (University Augsburg) (mK NMR)

Collaborators (external):

Prof. C. Petrovic (Brookhaven National Laboratory, USA)
Prof. A. Strydom (University Johannesburg, South Africa)
Prof. K. Lüders (Emeritus, Free University Berlin)
Prof. M.C. Aronson (Brookhaven National Laboratory, USA)
Prof. J. Mydosh (Emeritus, Leiden Inst. of Physics, Netherlands)
Prof. R. Nath (Thiruvananthapuram IISER-TVM India)
Dr. H. Wilhelm (Diamond Light Source, UK)
Prof. C. Krellner (University Frankfurt)
Prof. P. Gegenwart (University Augsburg)



Baenitz Gippius
Brüning

Rajarajan



Nath



Khuntia

Sakar



Yasuoka

The NMR group (established 2000): equipment, NMR - people and topics



Research Profile:

Field-sweep NMR and zero field resonance over a wide range of frequency/field.

Magnetic resonance as an
Interdisciplinary Approach

Solid state physics

Magnetism
field sweep NMR
Magnetic intermetallics /oxides
= large shift (%)
= broad lines

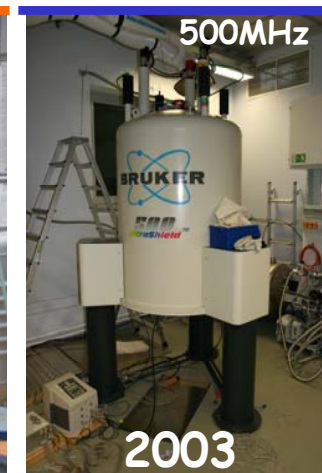
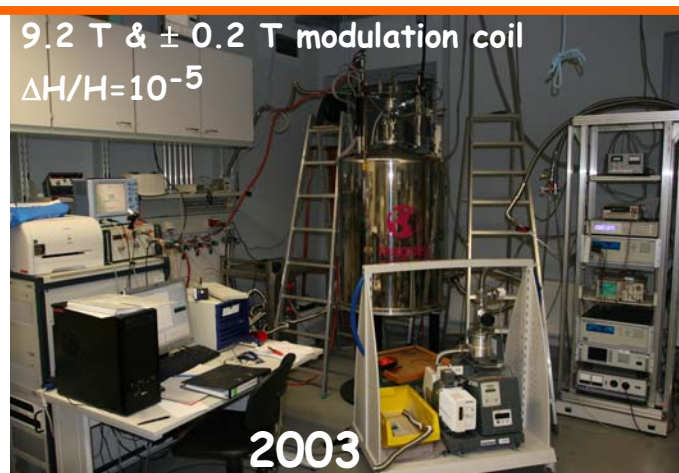
Chemical metal science

Structure
Fourier Transform NMR
Non magnetic compounds
= small shift (ppm)
= narrow lines

Equipment:

Field-sweep/Fourier-transform NMR Spectrometers ($H \leq 14$ T ; 1.7-300 K, 1- 1000 MHz) with $\Delta H/H=10^{-4}$; 10^{-5} .
High resolution ($\Delta H/H=10^{-9}$) 300 MHz FT-NMR Spectrometer (7 T, 1.8-700 K) with MAS technique.

Share of high resolution ($\Delta H/H=10^{-9}$) 500 MHz FT-NMR Spectrometer (12T, Prof. Grin);



Journey to my wonderland of correlations: towards “spin orbit” effects



„quantum magnets “

3d- magnets

Low dimensional
 $S=1/2$ 3d-systems
Cuprates, Vanadates
 $\text{Ba}_2\text{CuTeO}_6$

Chiral magnets
(Skyrmions)

FeGe , MnSi , CuSeO , $\text{PtMn}_{1.5}\text{Sn}$, ..
 FeAl_2O_4 (Spinel) ..

3d- semi- metals

FeSi , FeSb_2 , FeGa_3

correlated 3d- metals

$\text{Ta}(\text{Fe}, \text{V})_2$, YFe_2Ge_2 ,
 $\text{YFe}_2\text{Al}_{10}$, $\text{YbFe}_2\text{Al}_{10}$

„Quasi“ $S=1/2$

4d- and 5d-systems

RuCl_3 , Li_2RhO_3 ,
 $(\text{Na/Li})_2\text{IrO}_3$, (honeycomb).

SPIN

ORBIT

frustrated 4f metals/oxides

$\text{Ce}_2\text{Sn}_2\text{O}_7$ (Pyrochlore), ..

Dirac- (Weyl-) semi- metals

NbP , TaP , CoSb_3 , ..

Half Heusler semi- metals

YBiPt , YbBiPt , CeBiPt , ..

correlated 4f- / 5f- metals

CeFePO , YbNi_4P_2 , $\text{Ce}(\text{Ti/V})\text{Ge}_3$

4f- / 5f- semi- metals

$\text{U}_2\text{Ru}_2\text{Sn}$, CeRu_4Sn_6

„correlated metals “

„quantum metals “
(topological & bulk- states)

NMR: method and application to f- (and d- systems)



NMR: manipulates nuclear spin system and probes the local field at the nuclei site

electronic spin system
(s, p, d, f electrons)

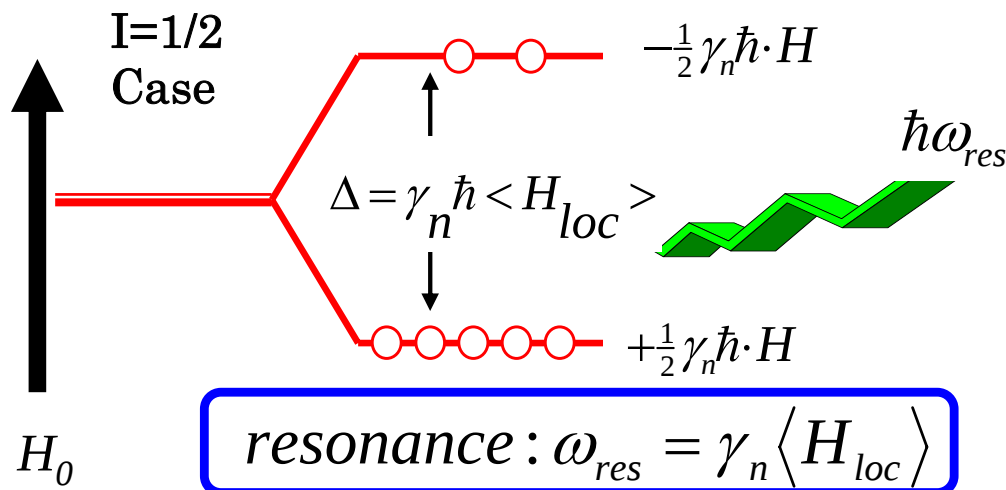
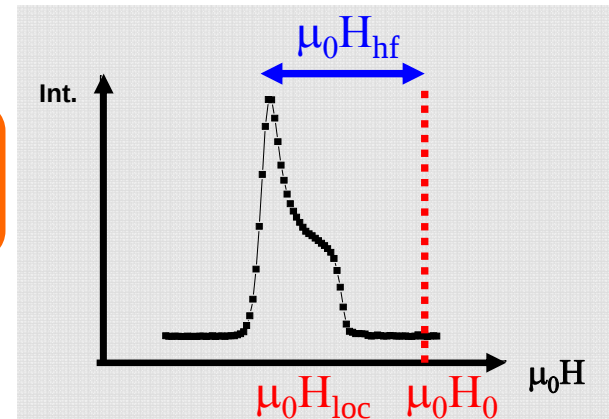
A_{hf}

μ_n
nuclear spin system

„ligand“ (P, Na, Sn) or
„on site“ (Yb, Fe, Mn)

$$\langle H_{loc} \rangle + \delta H_{loc}$$

static (NMR Shift K) + dynamic (Relaxation $1/T_1$)



component

$$K = \frac{H_o - \langle H_{loc} \rangle}{H_o} = \frac{A_{hf}}{N_A \mu_B} \cdot \chi(q=0, \omega=0)$$

$$\frac{1}{T_1} = \frac{\gamma_n^2 k_B}{2 \mu_B^2} T \lim_{\omega_L \rightarrow 0} \sum_q |A(\mathbf{q})|^2 \frac{\chi''(\mathbf{q}, \omega_L)}{\omega_L}$$

Low energy & q-averaged component of $\chi''(\mathbf{q}, \omega)$

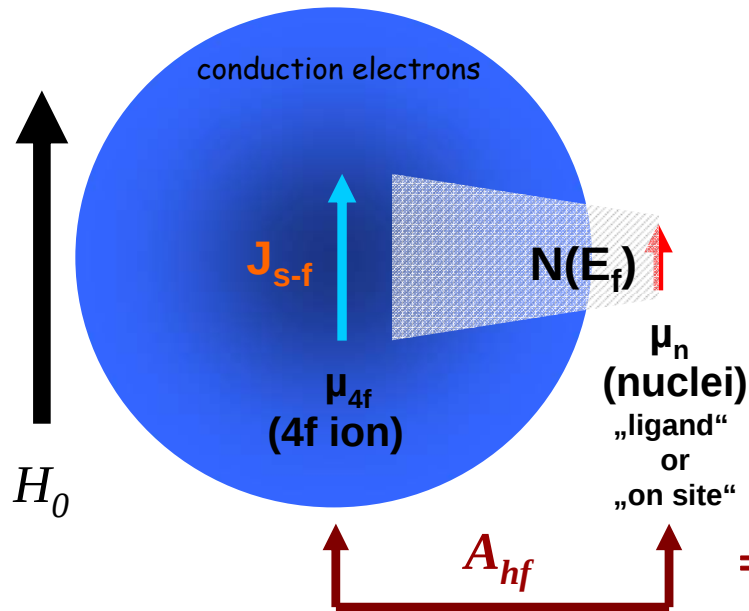
NMR: method and application to f- (and d- systems)



E. D. Jones,
Phys. Rev. 180 (1969) 455

- Polarization of conduction electrons by 4f moments (J_{s-f}) plus contact interaction ($N(E_F)$) determines A_{hf}

4f shift component:



$$K_{4f} \propto A_{hf}^{4f} \chi_{4f}$$

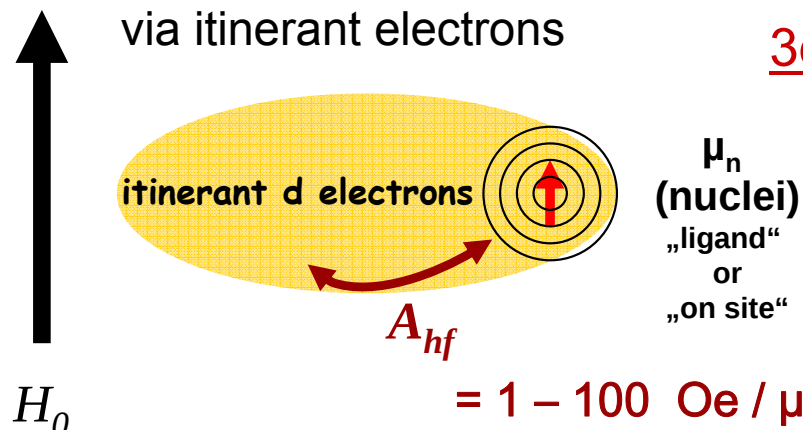
$$A_{hf}^{4f} \propto (g_J - 1) N(E_F) J_{s-f}$$

$$J_{s-f} < 1 \text{ afm } (> 1 \text{ fm})$$

$$= 100 - 1000 \text{ Oe} / \mu_B$$

- Polarization of inner core s electrons of the NMR ion via itinerant electrons

3d shift component:



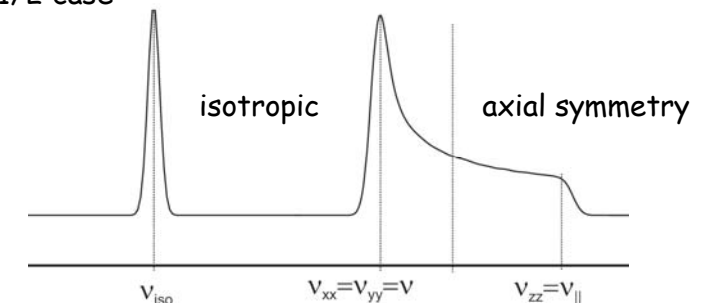
$$K_{3d} \propto A_{hf}^{3d} \chi_{3d}$$

$$A_{hf}^{3d} \leq 0$$

$$= 1 - 100 \text{ Oe} / \mu_B$$

- Dipolar and orbital contribution
 - dipolar interaction of nuclear spin and electron spin
= anisotropic shift contribution (p, d, f)

$I=1/2$ case



- Coupling of nuclear spin and orbital electron spin contribution

rare case: "on site" $A_{hf} = 100 \text{ T} / \mu_B$

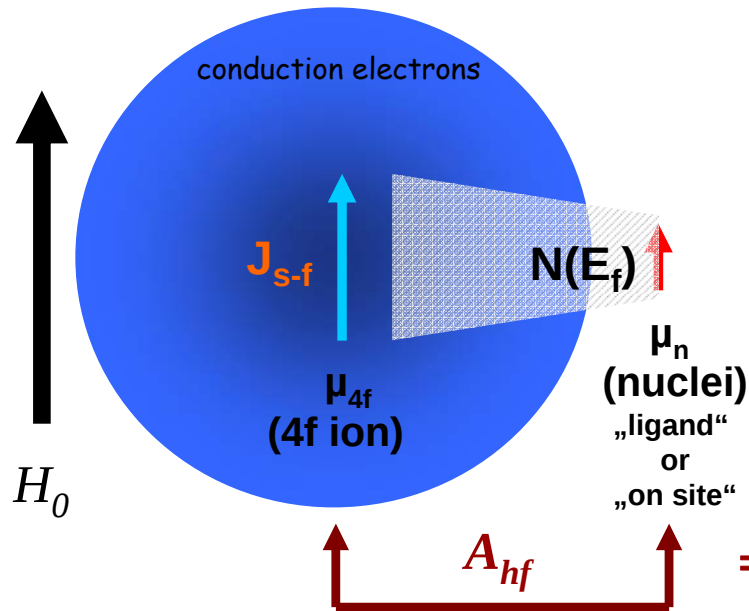
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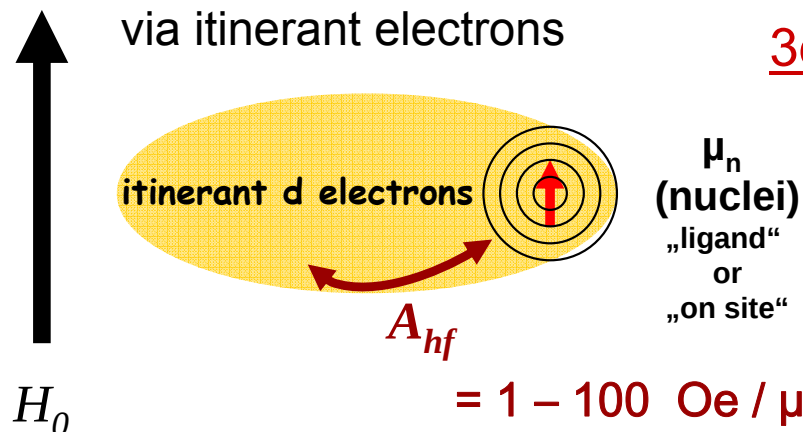
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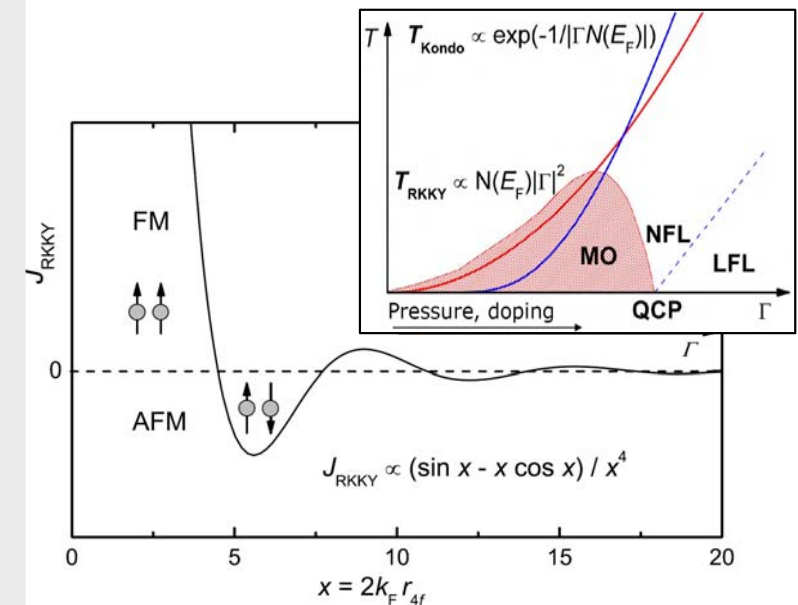
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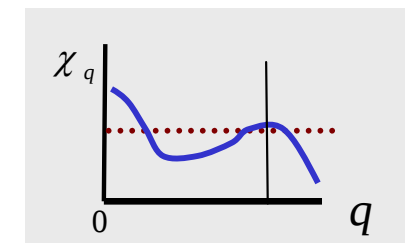
$$= 1 - 100 \text{ Oe} / \mu_B$$

lattice complexity

- RKKY- interaction (afm / fm) vs Kondo interaction

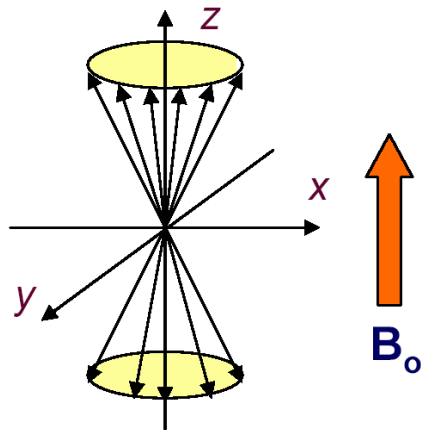


- Quantum criticality
dynamic susceptibility $\chi''(q, \omega, T)$

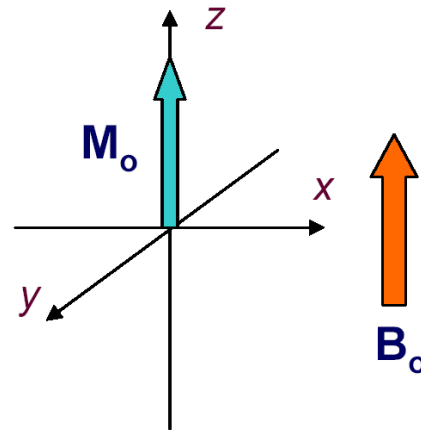


The pulse - NMR technique : “ spin gymnastics ”

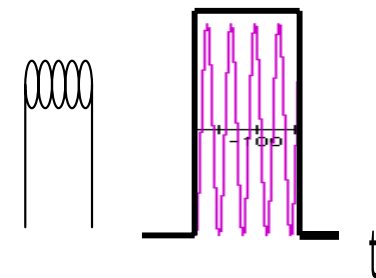
Ensemble of spins ($I=1/2$)
generating average magnetization M_0



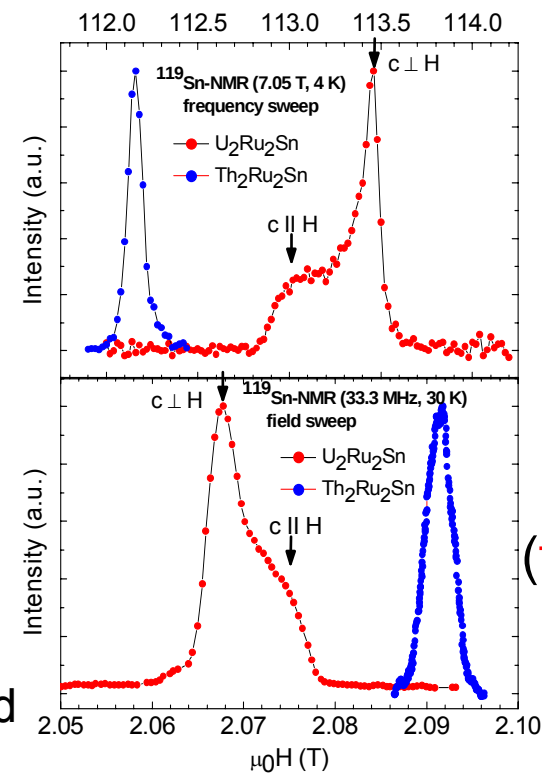
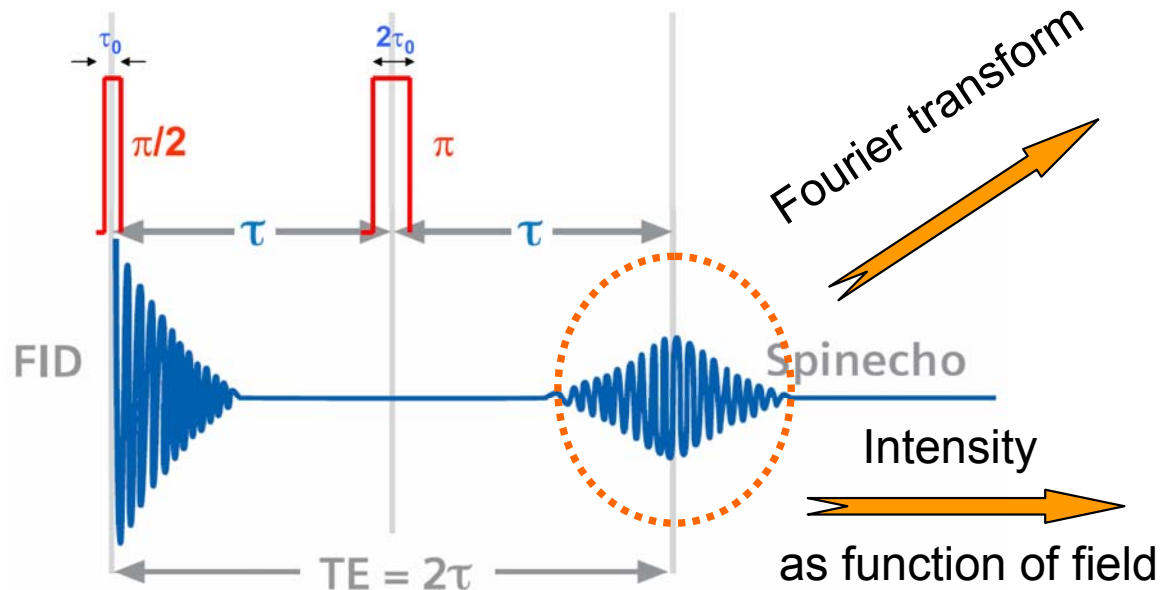
NMR frame



NMR coil,
-providing NMR pulse ($\pi/2$ and π)
-detection of NMR signal



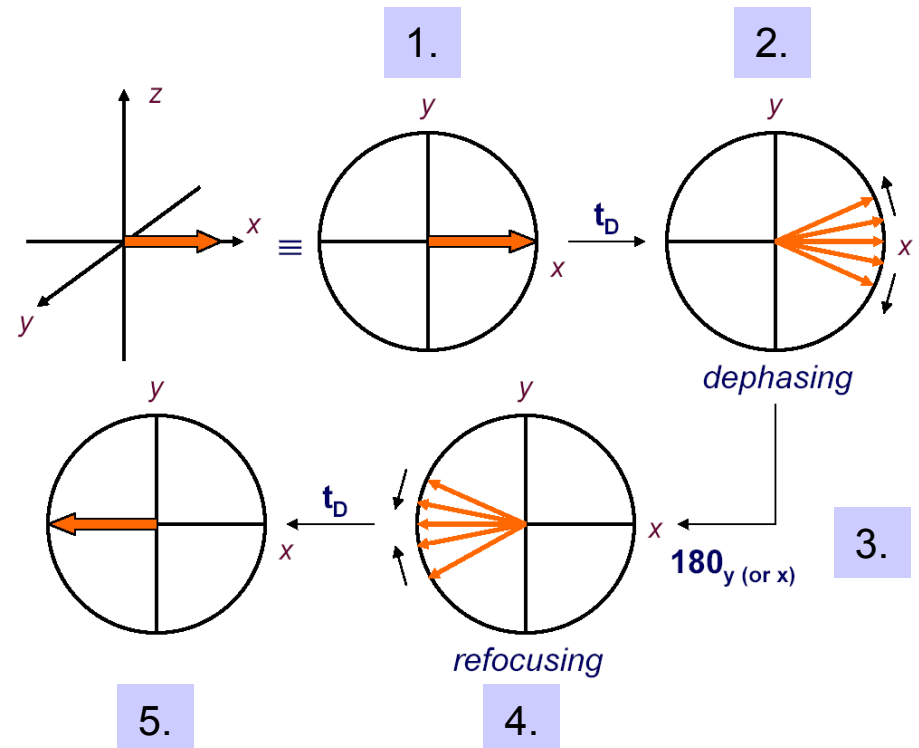
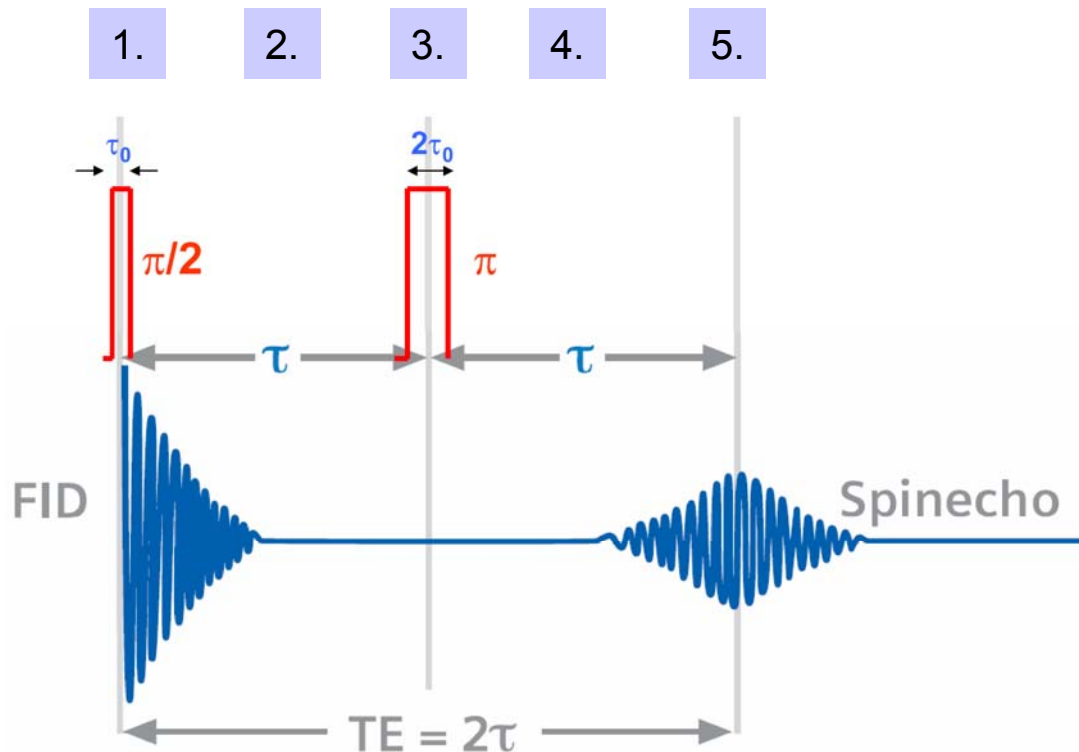
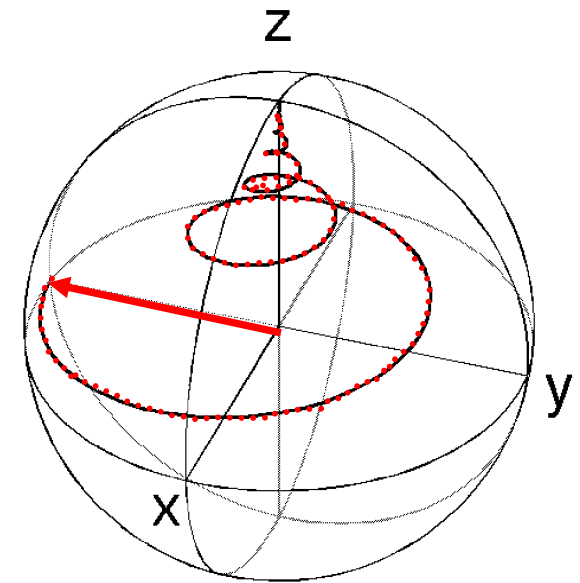
NMR –spectra from spin echo experiment



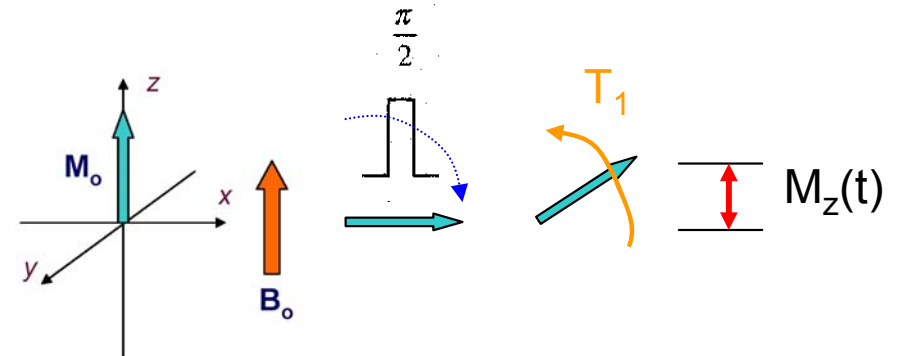
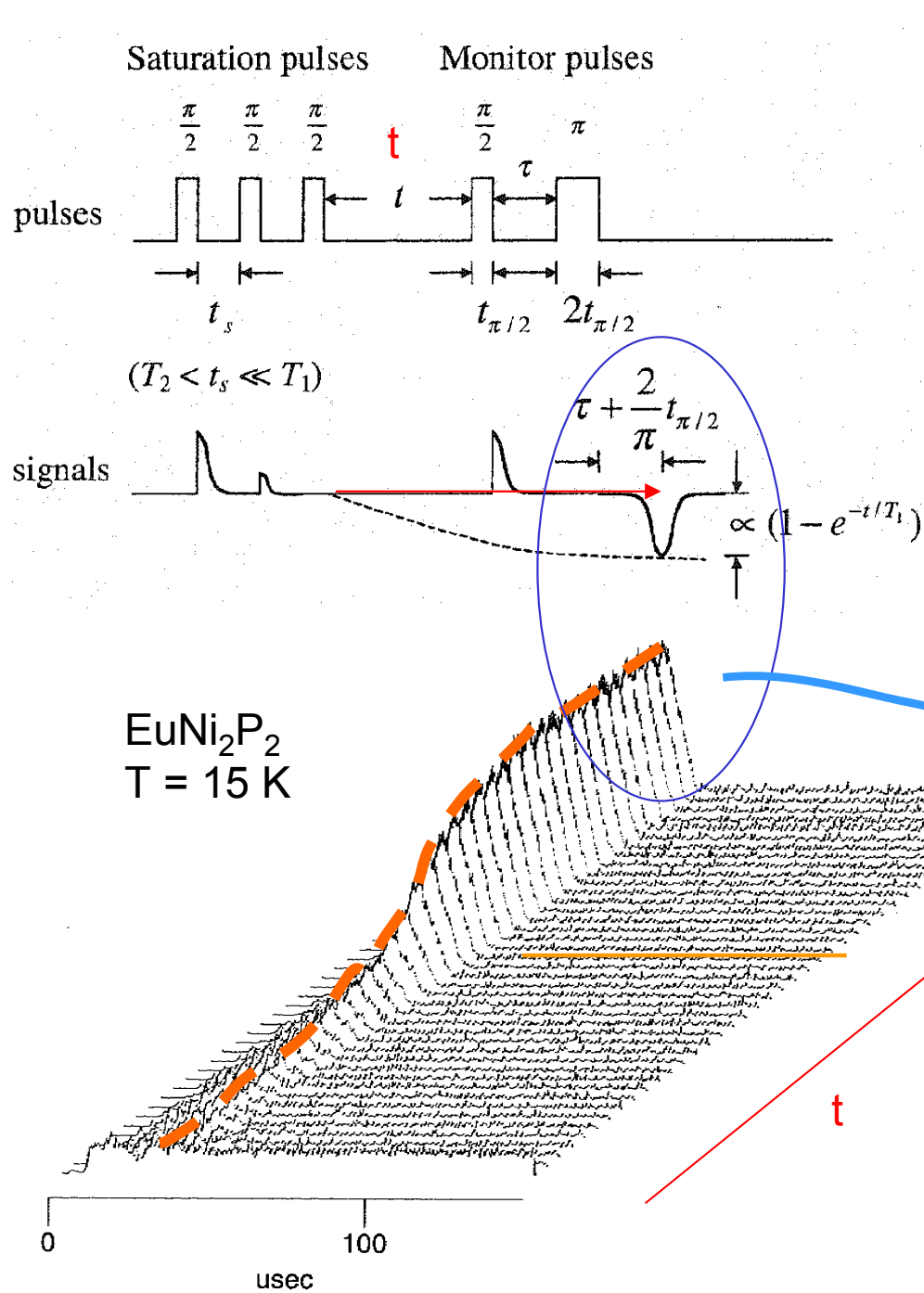
The pulse - NMR technique : origin of the “ spin echo ”

“Bloch” equations (Phys. Rev. 70 (1946) 460)

$$\frac{d}{dt} \begin{pmatrix} M_x \\ M_y \\ M_z \end{pmatrix} = \begin{pmatrix} -1/T_2 & -\Delta\omega_0 & \\ \Delta\omega_0 & -1/T_2 & -\omega_1 \\ & \omega_1 & -1/T_1 \end{pmatrix} \begin{pmatrix} M_x \\ M_y \\ M_z \end{pmatrix} + \frac{1}{T_1} \begin{pmatrix} 0 \\ 0 \\ M_0 \end{pmatrix}$$



How to get T_1 : the saturation magnetization method



Saturation pulses:

destroy m_z magnetization

Monitor pulses:

monitor $M_z(t)$ magnetization recovery

$$M_z(t) = M_0 + M_\infty (1 - \exp(-t/T_1))$$

